

WARM UP:

1) I want to create a 99% confidence interval and I want a margin of error of 5%. I know from previous studies that the proportion should be close to 72%. What size sample should I take?

$$0.05 = 2.576 \sqrt{\frac{(0.72)(0.28)}{n}}$$

$$n = 536$$

2) I want to estimate the true % of people who wear their seatbelts when driving. I take a sample of 320 people and find that 275 people say they wear their seatbelts while driving. Create a 92% confidence interval (and interpret).

$$Z^* = 1.751$$

$$\hat{p} = \frac{275}{320} = 0.859$$

$$\hat{p} \pm Z^* \sqrt{\frac{\hat{p}(1-\hat{p})}{n}}$$

$$0.859 \pm 1.751 \sqrt{\frac{(0.859)(0.141)}{320}}$$

$$0.859 \pm 0.034$$

$$(0.825, 0.893)$$

We are 92% conf. that the true % of people who wear seatbelts is b/w. 82.5% and 89.3%

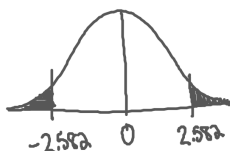
9.2 notes worksheet ANSWERS:

$$1) p = 0.40 \quad \hat{p} = 8/40 = 0.20 \quad n = 40 \quad \alpha = 0.01$$

$$H_0: p = 0.40$$

$$H_a: p \neq 0.40$$

$$Z = \frac{0.20 - 0.40}{\sqrt{\frac{(0.4)(0.6)}{40}}} = -2.582$$



$$2 \cdot P(Z > 2.582) = 0.0098$$

$$2 \cdot P(Z < -2.582) = 2 \cdot \text{normalcdf}(-\infty, -2.582, 0, 1)$$

We reject H_0 b/c p-value of $0.0098 < \alpha = 0.01$. We have sufficient evidence that the true % of patients suffering serious side effects from the med is not equal to 40%.

Complete problems #2 and 3

$$2) p = 0.10 \quad \hat{p} = 9/57 = 0.158 \quad n = 57 \quad \alpha = 0.05$$

$$H_0: p = 0.10$$

$$H_a: p > 0.10$$

$$Z = \frac{0.158 - 0.10}{\sqrt{\frac{(0.10)(0.90)}{57}}} = 1.4596$$



$$P(Z > 1.4596) = 0.0722$$

$$\text{normalcdf}(1.4596, \infty, 0, 1)$$

We do not reject the claim

b/c p-value of $0.0722 > \alpha = 0.05$.

We do not have evidence that the % of people who feel ill when exposed to radiation is greater than 10%.

$$2) p = 0.10 \quad \hat{p} = 9/57 = 0.1579 \quad n = 57 \quad \alpha = 0.05$$

$$H_0: p = 0.10$$

$$H_a: p > 0.10$$

$$Z = \frac{0.1579 - 0.10}{\sqrt{\frac{(0.10)(0.90)}{57}}} = 1.4571$$

$$P(Z > 1.4571) = 0.0725$$

We fail to reject H_0 b/c p-value of $0.0725 > \alpha = 0.05$. We **do not** have sufficient evidence that the true % of patients suffering ill effects from the radiation is greater than 10%.

$$3) p = 0.75 \quad \hat{p} = 85/125 = 0.68 \quad n = 125 \quad \alpha = 0.03$$

$$H_0: p = 0.75$$

$$H_a: p < 0.75$$

$$Z = \frac{0.68 - 0.75}{\sqrt{\frac{(0.75)(0.25)}{125}}} = -1.807$$

$$P(Z < -1.807) = 0.0354$$

We fail to reject H_0 b/c p-value of $0.0354 > \alpha = 0.03$. We **do not** have sufficient evidence that the true % of union members who will strike is less than 75%.

Create your Ch. 9 Cheat sheet

Name Ch. 9

Confidence Intervals:

$$\hat{p} \pm z^* \sqrt{\frac{\hat{p}(1-\hat{p})}{n}} = (a, b)$$

We are ____% confident that the true % of ____ is btw a and b.

$$n = z^* \sqrt{\frac{\hat{p}(1-\hat{p})}{n}}$$

Finding the sample size

on calc:

$$① \left(\frac{n}{z}\right)^2$$

$$② (\hat{p} * 1 - \hat{p}) / \text{Ans}$$

Hypothesis Tests:

$$① H_0: p = \underline{\quad}$$

$$H_a: p \geq \underline{\quad}$$

$$② Z = \frac{\hat{p} - p}{\sqrt{\frac{p(1-p)}{n}}} =$$

$$③ P(Z \geq \underline{\quad}) = \text{normalcdf}(LB, UB, 0, 1)$$

FOR P-VALUE:

* If $z = -$,
use $<$

* If $z = +$,
use $>$

* If $H_a: \neq$, do
 $2 \cdot P(\quad)$

④ * If $p\text{-value} < \alpha$, we reject

We reject H_0 b/c $p\text{-value}$ of $______ < \alpha = ______$.
We have sufficient evidence that.... (H_a).

We do not reject H_0 b/c $p\text{-value}$ of $______ > \alpha = ______$.
We do not have sufficient evidence that.... (H_a).